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# IDMA system with Optimal Spreading Mechanism using Random Interleaver

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**Abstract-** IDMA is being thought as a strong candidate for radio access in cellular mobile communication systems. It is attractive for wireless access because of its numerous advantages over TDMA, FDMA and CDMA. Here we are using IDMA system using random interleaver. On comparing different spreading techniques as repetition, Gold code and Walsh code spreading from simulation results, the performance is almost same for all. But from implementation point of view repetition spreading requires less memory, less computational complexity, easy implementation and also defines larger number of users as compared to Gold code and Walsh code for same spreading length.

**Keywords-** Modulation mechanism, Channel Model, Multiple Access Scheme, Tree Based Interleaver.

## I. INTRODUCTION

Interleave division multiple access (IDMA) is a technique where interleaving is the only means for user separation. IDMA not only inherits many advantages in comparison to conventional CDMA, such as robustness against fading and

mitigation of cross-cell interference, but also allows very simple chip-by-chip (CBC), iterative multiuser detection (MUD) strategy while achieving impressive performance. In [1], an IDMA system that uses randomly and independently generated interleavers is presented. The IDMA system with random interleaver [1] performs better than a comparable CDMA system with random interleaver.

Meanwhile this process combines coding and spreading operation to maximize coding gains using low-rate codes, and make the system nearer multiple access channel (MAC) capacity [2][3]. Spreader used in IDMA only functions for bandwidth expansion. The reason for using spreading is not the processing gain. A real gain of spreading concerning the range of data transmission can be achieved in a frequency-selective fading environment. The increased bandwidth of a spread signal provides us with increased frequency diversity as compared to a narrowband FDMA system. Such frequency diversity can only be exploited if the signaling bandwidth significantly exceeds the correlation frequency (i.e. the coherency bandwidth) of the channel. Comparing the spread spectrum and the TDMA technique at the same signal bandwidth, at the same data rate and mean transmission power (energy per transmitted bit),

roughly the same performance will result since the receive  $E_b/N_0$  is the same. Nevertheless, having in mind the discussion on electromagnetic compatibility of mobile phones, spreading may have an advantage since it uses a continuous transmission while transmission in time multiplex systems is pulsed. For this reason, sometimes the peak transmission power of systems is limited by regulatory bodies. Obviously, at equal peak transmit power the performance of spread spectrum systems is higher than that of TDMA systems.

Each of the known types of codes fulfills one requirement to a higher and the other to a lower degree. Therefore, the codes giving the best compromise for the respective applications have to be selected. Here we are comparing these codes on the basis of performance, construction, memory, computational complexity, number of users defined and ease of implementation.

In Section 2, an introduction to IDMA system is presented. In section 3, different types of codes, Walsh-Hadamard, Gold code and repetition spreading is discussed and last section 4 present simulation results comparing different codes using random interleaver.

## II. IDMA SCHEME

Here, we consider an IDMA system [1], shown in Figure 1, with  $K$  simultaneous users using a single path channel. At the transmitter, a  $N$ -length input data sequence  $d_k = [d_k(1), \dots, d_k(i), \dots, d_k(N)]^T$  of user  $k$  is encoded into  $c_k = [c_k(1), \dots, c_k(j), \dots, c_k(J)]^T$  based on low rate code  $C$ , where  $J$  is the Chip length.

In encoder-spreader block, the code  $C$  is constructed by serially concatenating a forward error correction (FEC) code and repetition code of length- $s$ . The FEC code used here is Memory-2 Rate-1/2 Convolutional coder. We may call the elements in  $c_k$  „chips“.

Then  $c_k$  is interleaved by a chip level interleaver „ $\Pi_k$ “, producing a transmitted chip sequence  $x_k = [x_k(1), \dots, x_k(j), \dots, x_k(J)]^T$ . After transmitting through the channel, the bits are seen at the receiver side as  $r = [r_k(1), \dots, r_k(j), \dots, r_k(J)]^T$ . The Channel opted is additive white Gaussian noise (AWGN) channel, for simulation purpose.

In receiver section, after chip matched filtering, the received signal form the  $K$  users can be written as

$$r(j) = \sum_{k=1}^K h_k x_k(j) + n(j), \quad j = 1, 2, \dots, J \quad (1)$$

where  $h_k$  is the channel coefficient for user and  $\{n(j)\}$  are the samples of an additive white Gaussian noise (AWGN) process

with mean as zero and variance  $\sigma^2 = N_0 / 2$ . An assumption is made that  $\{h_k\}$  are known priori at the receiver.

The receiver consists of a primary signal estimator block (PSE) and a bank of  $K$  single user a posteriori probability (APP) decoders (DECs), operating in an iterative manner. The modulation technique used for simulation is binary phase shift keying (BPSK) signaling. The outputs of the PSE and DECs are extrinsic log-likelihood ratios (LLRs) about  $\{x_k\}$  defined as

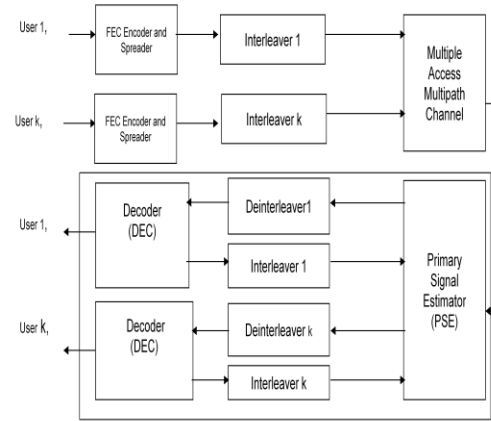


Fig.1. Transmitter and Receiver structures of IDMA scheme with  $K$  simultaneous users.

$$e(x_k(j)) = \log \left\{ \frac{p(y | x_k(j) = +1)}{p(y | x_k(j) = -1)} \right\} \quad \forall K, j \quad (2)$$

These LLRs are further distinguished by the subscripts i.e.,  $e_{PSE}^{x_k(j)}$  and  $e_{DEC}^{x_k(j)}$ , and, depending upon whether they are generated by SEB or DECs.

$$r(j) = h_k x_k(j) + \xi_k(j) \quad (3)$$

where

$$\xi_k(j) = r(j) - h_k x_k(j) = \sum_{k' \neq k} h_{k'} x_{k'}(j) + n(j) \quad (4)$$

$\xi_k(j)$  is the distortion (including interference-plus-noise) in  $r(j)$  with respect to user- $k$ . From the central limit theorem,

$\xi_k(j)$  can be approximated as a Gaussian variable, and  $r(j)$  can be characterized by a conditional Gaussian probability density function; Due to the use random interleavers  $\{\Pi_k\}$ , the SEB operation can be carried out in a chip-by-chip manner, with only one sample  $r(j)$  used at a time.

## III. SPREADING CODES

Constructions of some codes are discussed in following subsections.

A. Walsh-Hadamard Codes

Walsh-Hadamard codes make useful sets for CDMA based wireless systems because of their orthogonality and VSF characteristics. Walsh functions are generated by mapping codeword rows of special square matrix called Hadamard matrix [4]. The Hadamard matrix of desired length can be generated by the following recursive procedure:

$$H_1 = [0];$$

$$H_{2N} = \begin{bmatrix} H_N & H_N \\ H_N & \overline{H_N} \end{bmatrix} \tag{5}$$

Where N is a power of 2 and over score denotes the binary complement. Each row of the matrix presents a Walsh-Hadamard code by mapping 0 to 1 and 1 to -1. These codes have zero cross-correlation between each other and therefore these codes are orthogonal. However, these codes have poor ACF characteristics. The support for multiple and variable data rates can be provided by the VSF property of Walsh- Hadamard codes.

B. Gold codes

Methods for generating PN sequences with better periodic cross correlation properties than m-sequences have been developed by Gold [5],[6] and by Kasami. A set of Gold codes of length M can be obtained by combining specific pairs of m-sequences c, c' which are called preferred m-sequences. This set of Gold codes Γ is given by c, c' and the modulo-2 sums of c and all M different cyclically shifted versions of c, hence it contains M + 2 elements. Another way to number the Gold codes generated by c, and c' is:

$$\Gamma = \{c_0, c_1, \dots, c_M, c_{M+1}\}$$

Where  $c_0 = c$ ,  $c_{M+1} = c''$  and  $c_\mu = c + c''(\mu)$ ,  $\mu = 1, 2, \dots, M$ .

where the sum has to be understood as a modulo-2 sum and  $c''(\mu)$  is the m-sequence given by the binary representation of  $\mu$  as the initial setting for the generating shift register. This process is illustrated in figure 2. Concerning the decrease of auto- and cross-correlation functions Gold proved the following proposition: the cross-correlation functions of Gold sequences take only the three values  $-1/M, -t(M), t(M) - 2$ , where  $t(M)$  decreases as  $2/\sqrt{M}$  for large even M and as  $\sqrt{2}/M$  for large odd  $M = 2m - 1$ . To summarize, for large M the peak values of the

cross-correlation functions of Gold codes are much smaller than for the m-sequences, but at the expense of higher (but also decreasing) values of the autocorrelation functions. Gold sequences allow construction of long sequences with three valued Auto Correlation Function ACFs. The combined codes in the set of Gold codes are no m-sequences. These codes are used in asynchronous CDMA systems. The use of Gold sequences permits the transmission to be asynchronous. The receiver can synchronize using the auto-correlation property of the Gold sequence.

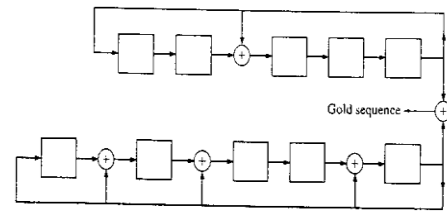


Fig.2. Generation of Gold sequences of length 31.

C. Repetition spreading

A very naive idea for spreading is a simple repetition of the bits, another type of spreading used in IDMA, that is, without the need for separating different users, is given by the so-called repetition spreading. These are characterized by minimizing certain kinds of reduced autocorrelation functions defined by,

$$R_c(m) = \sum c_i c_{i+m} \quad 0 \leq m \leq L-1 \tag{6}$$

$$R_c(m) = L \text{ for } m=0 \text{ and even}$$

$$R_c(m) = -L \text{ for } m \text{ is odd}$$

The size of the off-peak values of  $R_c(m)$  relative to the peak value  $R_c(0)$  i.e., the ratio  $R_c(m)/R_c(0) = +1$  for m even or  $-1$  for m odd.

Since in IDMA interleavers are the means used for user separation, the orthogonality condition must be satisfied by these. Repetition spreading in IDMA is only used to increase the bandwidth occupancy and hence bandwidth efficiency. The code rate  $R_c = 1/L$ , L is spreading length. Repetition spreading is just another word for diversity, and, in a fading channel, it has a diversity gain if the fading amplitudes of the received coded symbols are sufficiently independent.

The implementation of repetition spreader is given in figure 3. Firstly clear the output Q with the help of clear input, apply clock. The required spreading length can be obtained by the same number of clocks. The sequence is 10101010----- and it can mapped as +1 -1 +1 -1 +1 -1 +1 -1 -----

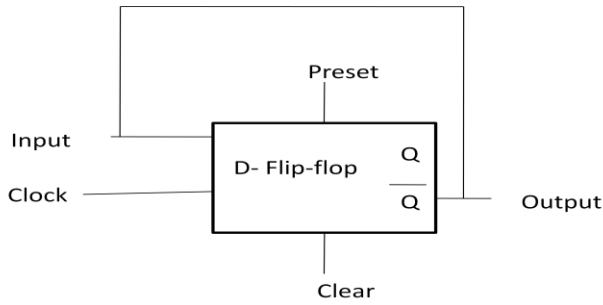


Fig.3.Generation of repetition spreading

IV SIMULATION RESULT

From the plot, memory requirement for repetition spreading is same for all user count, where as there is linear increment in memory required with different user count in both Walsh and Gold. The plot for both Walsh and Gold spreading overlaps.

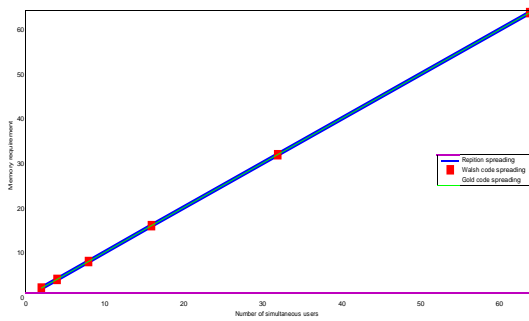


Fig.4.Comparison of RP, WC, and GC for memory requirement

Following plot represent that for repetition spreading the maximum user count accessed are constant for different spreading length, where as for Walsh code, maximum user accommodated is same as spreading length and for Gold code it is sum of spreading length and two. Once again repetition spreading is overcoming the remaining spreading technique.

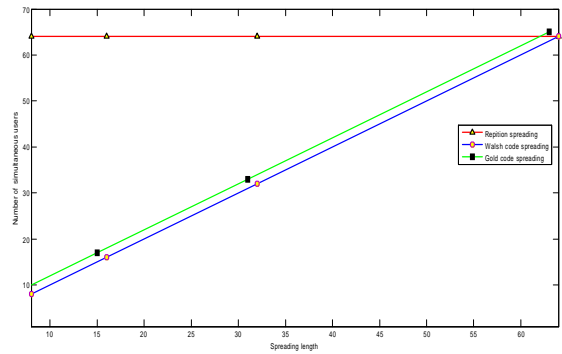


Fig.5.Comparison of user capacity for given spreading length in RP, WC and GC

Figure 6.shows B.E.R performance with variation in number of users for random interleaver comparing for different spreading as repetition, Gold code and Walsh code spreading in both uncoded and coded IDMA environment with BPSK modulation. Different parameters are data length  $m=512$ , iterations  $it=15$  and  $E_b/N_0=3dB$ . The plot is B.E.R. performance with respect to number of users for different spreading length as  $sl=16, 32, 64$ . From this plot comparative B.E.R. improvement is for  $sl=32$ , but with consumption of large bandwidth. As number of users increase the performance degrades.

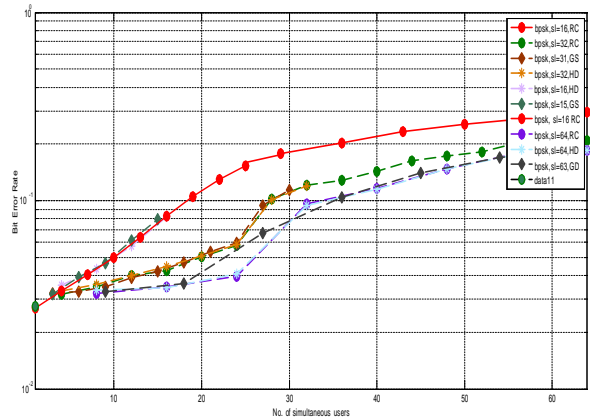


Fig.6.Uncoded IDMA with RI using BPSK for variation in user count at  $E_b/N_0=3dB$  comparing at different spreading

The figure 7. is B.E.R. performance for different values of  $E_b/N_0$  with variation in user count  $n=4, 8, 16, 30$  of uncoded IDMA with random interleaver using both BPSK modulation. Other parameters are data length  $m=512$ , iterations  $it=15$  and optimal spreading length  $sl=32$  with repetition, Gold code and Walsh code spreading. Performance improve for increasing values of  $E_b/N_0$ .

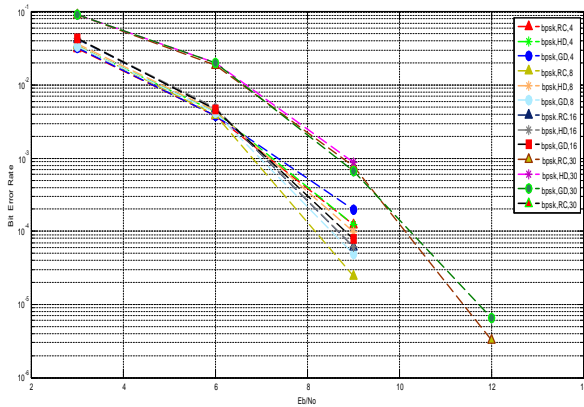


Fig.7. Simulation of uncoded IDMA using RI with BPSK and QPSK for variation in user count for sl=32

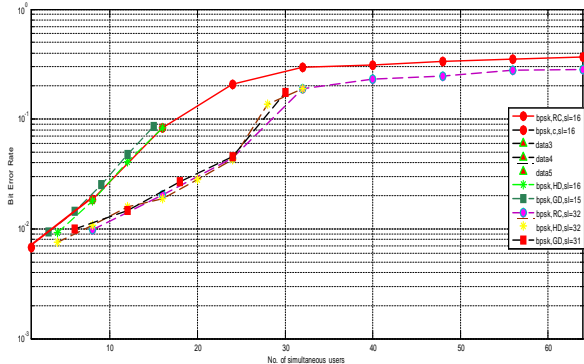


Fig. 8. Coded IDMA with RI using BPSK and QPSK for variation in user count at Eb/No=2dB comparing at different spreading length

In figure 8. coded IDMA is considered with random interleaver, 1/2 rate convolutional coding, using BPSK modulation, different spreaders are used as repetition, Gold code and Walsh code. Different parameters are data length  $m=512$ , iterations  $it=15$  and  $E_b/N_0=2\text{dB}$ . The plot is B.E.R. performance with respect to number of users for different spreading length as  $sl=16, 32, 64$ . From this plot comparative B.E.R. improvement is for  $sl=32$ , but with consumption of large bandwidth. As number of users increase the performance degrades.

Figure 9 is B.E.R. performance for different values of  $E_b/N_0$  with variation in user count  $n=4, 8, 16, 30$  of coded IDMA using 1/2 rate convolutional coding with random interleaver using BPSK modulation. Other parameters are data length  $m=512$ , iterations  $it=15$  and optimal spreading length  $sl=32$  with

repetition, Gold code and Walsh code spreading. Performance improve for increasing values of  $E_b/N_0$ .

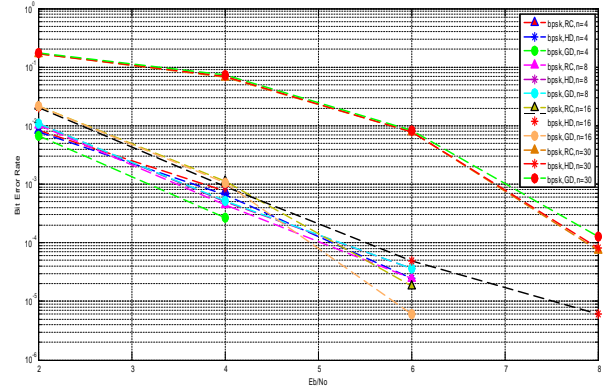


Fig. 9. Simulation of coded IDMA using RI with BPSK for variation in user count for sl=32.

#### IV. CONCLUSIONS

In this paper it is concluded that on comparing different spreading techniques as repetition, Gold code and Walsh code spreading from simulation results, the performance is almost same for all. But from implementation point of view repetition spreading requires less memory, less computational complexity, easy implementation and also defines larger number of users as compared to Gold code and Walsh code for same spreading length.

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